## An Unifying Equation for Almost All Constituent Quarks Masses, of Cold and Hot Genesis

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## Abstract

Based on a Cold Genesis pre-quantum theory of particles and fields, (C.G.T.), based on Galilean relativity, which explains the constituent quarks and the resulted elementary particles as clusters of negatron-positron pairs ( $\gamma$ (e<sup>-e+</sup>)) forming basic  $z^{\circ}$  -preons of ~34 me representing the CGT's prediction for the subsequent discovered boson X17, which generate preonic bosons  $z_2(4z^{\circ})$  and  $z_{\pi}(7z^{\circ})$  and constituent quarks in a preonic model, from two equations, one for the preonic quarks (u, d, s) and another for the heavy quarks (c-charm and b-bottom), a single unitary equation is obtained for the both mass variants: CGT/Souza and Standard Model, by using four parameters representing integer numbers from 0 to 3: ( $k_1 \, ; \, k_2$ )  $\leq$  3 (for the number of  $z_2$ - and  $z_{\pi}$ - preonic bosons); f = (1;2)- flavor number; n = (1÷4) –compositeness number, and a multiplication factor depending on n, n=4 giving a predicted quark, of mass ~15 GeV/c<sup>2</sup>.

$$M_{q}(\mathbf{q}_{n}^{f}) = 3^{n-1} \left\{ [M_{1,2} + \mathbf{k}_{1} \cdot \mathbf{Z}_{\pi} + \mathbf{k}_{2} \cdot (\mathbf{k}_{1} - 2) \cdot \mathbf{Z}_{2} - \mathbf{Z}^{0}(2 - f)] - [\beta(2 - f) + \frac{\mathbf{Z}^{0}}{3} \ln \frac{3^{(2n - 3)}}{3^{(2 - f)(3n - 5)}}] \cdot \left| 2n - 1 - 2^{(n - 1)} \right| \right\};$$
  
$$M_{1,2} = M(\mathbf{n}_{1}^{+}; \mathbf{m}_{2}^{-}); \ \mathbf{k}_{1} = 0 \div 3; \ \mathbf{k}_{2} = 0 \div 2 < \mathbf{k}_{1}; \ \mathbf{f} = (1; 2); \ \mathbf{n} = 1 \text{ if } (\mathbf{k}_{1} + \mathbf{k}_{2}) < 5; \ \mathbf{n} = (1 \div 4) \text{ if } (\mathbf{k}_{1} + \mathbf{k}_{2}) = 5$$

$$\begin{split} & (M_{1,2} = 69.5 \text{ MeV}/c^2 \approx (1/\alpha) m_e; \ \beta = 37.63 \text{ MeV}/c^2, \ m_{1,2} - \text{mesonic quark}; \ M(u/d)c^2 \approx 313 \text{ MeV}. \\ & \text{For S.M.'s variant, f = 1, and it is applicable only for } k_1 > 2; \ i.e.: \ f = 1; \ n = 1, \ k_1 = 3, \\ & k_2 = 1, \ \rightarrow M(s^{\cdot})c^2 \approx 0.486 \text{ GeV}; \ n = 2 \rightarrow M(c^{\cdot})c^2 = 1.557 \text{ GeV}; \ n = 3 \rightarrow M(b^{\cdot})c^2 = 4.728 \text{ GeV}. \end{split}$$